







Handling geometric complexity requires hierarchical electronic product definition (EPD)

- at lowest level, very simple functional description of major components appropriate to preliminary design
- at higher levels, increasing amount of detail as needed, for example, by CFD and structural analysis packages

Hierarchical EPD

Example: aircraft

Level 1	aircraft weight, wingspan,
	cruising speed
Level 2	wing/fuselage geometry
Level 3	engines, tail, winglets
Level 4	high-lift flaps & slats,
	take-off climb rate
Level 5	control surfaces, fairings,
	desired roll rate















Design philosophies

lpha
$oldsymbol{U}$
$F(U, \alpha) = 0$
$E(U, \alpha) = 0$
$C(U,lpha) \geq 0$







3) Design system computes sensitivities with respect to design parameters but designer specifies design changes

- puts the designer totally in charge
- allows the designer to keep in mind other constraints not easily quantified
- design system could aid designer by ensuring some constraints are automatically satisfied













One advantage of direct linear/nonlinear sensitivity approach is Quasi-Newton optimisation for least-squares applications

Suppose we wish to minimise

$$I(\alpha) = \sum_{n} (p(x_n, \alpha) - p_{des}(x_n))^2 \Delta s$$

At a minimum, we require

$$\frac{\partial I}{\partial \alpha_i} = 2 \sum_n \frac{\partial p}{\partial \alpha_i} \left(p(x_n, \alpha) - p_{des}(x_n) \right) \Delta s = 0$$

Solving this set of simultaneous equations using Newton-Raphson gives

$$A(lpha^{n+1} - lpha^n) = -r^n$$

where

$$r_i^n = \sum_n rac{\partial p}{\partial lpha_i} \left(p(x_n, oldsymbol lpha) - p_{des}(x_n)
ight) \Delta s$$

and

$$A_{ij} = \sum_{n} \left(\frac{\partial p}{\partial \alpha_i} \frac{\partial p}{\partial \alpha_j} + \frac{\partial^2 p}{\partial \alpha_i \partial \alpha_j} (p - p_{des}) \right) \Delta s$$

Neglecting the second-derivative term gives the Quasi-Newton method which converges quickly to the minimum if $p - p_{des}$ is small.

This can also be viewed as minimising the quadratic approximation

$$I \approx \sum_{n} \left(p(\boldsymbol{x}_{n}, \boldsymbol{\alpha}^{n}) + \frac{\partial p}{\partial \boldsymbol{\alpha}} \widetilde{\boldsymbol{\alpha}} - p_{des}(\boldsymbol{x}_{n}) \right)^{2} \Delta s$$



Sensitivity information can show significance of constraints imposed in preliminary design – feedback is crucial for better preliminary design trade-offs

Also useful in other areas:

- manufacturing tolerances
- risk management
- strategic research planning

What Would I Recommend?

A hierarchical solution:

- genetic algorithms for black-box optimisation of preliminary design
- for component design, start with few design variables, direct sensitivity analysis and optimisation by the designer (using response surface if necessary)
- for final refinement, add additional design variables and switch to adjoint-based optimisation